

MiniC Language Reference Card

conventions used in reference card	
$\sigma, \sigma_1, \sigma_2$	boolean expressions
τ, π	general expressions
n, m	compile-time constant expressions
α_1, α_2	data types
module import and implementation	
package pointedName	define root path for importing modules relative to current dir.
include pointedName	include textfile
<i>// comment</i>	single line comment
<i>/* comment */</i>	block comment (mult. lines)
function $f(vdcl) : \alpha \{$ <i>stat</i> $\}$	function f with variable declarations $vdcl$, body statement $stat$ and result type α
variable declarations $vdcl ::=$	
general syntax is a comma-separated list of single declarations $type\ x_1, \dots, x_n$, e.g. nat x_1, x_2 , int z_1, z_2	
data types $type ::=$	
bool	booleans
nat	unsigned integers (machine dependent)
int	signed integers (machine dependent)
$[n]\alpha$	array having n elements of type α
$\alpha_1 * \dots * \alpha_n$	tuple type
literals	
boolean constants are false and true ; examples for signed integers are $0, 1, 2, 3, \dots$ while signed integers $\dots, -2, -1, -0, +0, +1, +2, +3, \dots$	

expressions		
type casts		
(nat) τ	interprets τ as type nat	
(int) τ	interprets τ as type int	
(bool) τ	interprets τ as type bool	
constructing and accessing compound types		
$\tau[\pi]$	array access	
$[\tau_0, \dots, \tau_{n-1}]$	array of n values	
$\tau.n$	tuple access	
$(\tau_0, \dots, \tau_{n-1})$	tuple of n values	
equality		
$\tau_1 == \tau_2$	equality	
$\tau_1 != \tau_2$	inequality	
numeric relations (for both nat and int)		
$\tau_1 < \tau_2$	less than	
$\tau_1 <= \tau_2$	less than or equal to	
$\tau_1 > \tau_2$	greater than	
$\tau_1 >= \tau_2$	greater than or equal to	
boolean operators		
! σ	not σ	negation
$\sigma_1 \& \sigma_2$	σ_1 and σ_2	conjunction
$\sigma_1 \mid \sigma_2$	σ_1 or σ_2	disjunction
$\sigma_1 \wedge \sigma_2$	σ_1 xor σ_2	exclusive or
$\sigma_1 \rightarrow \sigma_2$	σ_1 imp σ_2	implication
$\sigma_1 <-> \sigma_2$	σ_1 eqv σ_2	equivalence
arithmetic operators (for both nat and int)		
$\tau + \pi$	addition	
$\tau - \pi$	subtraction	
$\tau * \pi$	multiplication	
τ / π	division	
$\tau \% \pi$	modulo	
abs (τ)	absolute value	
function call		
$f(\tau_1, \dots, \tau_n);$	call function f with parameter expressions τ_1, \dots, τ_n	

statements $stat ::=$	
atomic statements	
$\lambda = \tau$	single word assignment
$\lambda_1, \lambda_2 = \tau$	double word assignment
$[name :] \mathbf{assert}(\sigma);$	assertion
sync	thread synchronisation
composed statements	
if (σ) S_1 [else S_2]	conditional statement
$S_1 S_2$	sequential execution
$\{ \alpha x; S \}$	declare variable x of type α with scope S
do S while (σ)	repeat S while σ holds
while (σ) S	while σ holds, repeat S
for ($i=m .. n$) S	unconditional loop
return τ	return value τ
remarks on function calls	
the following restrictions apply	
<ul style="list-style-type: none"> no recursive functions: a function is not allowed to call itself, not even via other function calls arguments of scalar types are provided via call-by-value, arrays and tuples via call-by-reference (hence the latter are potentially overwritten by the function) 	